

CHAPTER - 12

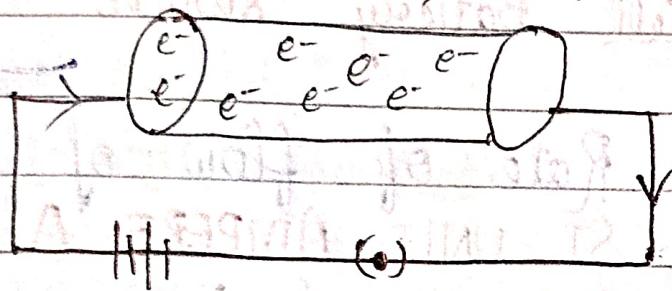
ELECTRICITY

ELECTRICITY and ELECTRIC CURRENT

Flow of charges in a conductor is Electric current.

This phenomena or effect is electricity.

CHARGE : Number of flow of electron in CRT.



SI UNIT OF CHARGE COULOMB (C)

Charge is denoted by 'Q'

$$Q = n \times e$$

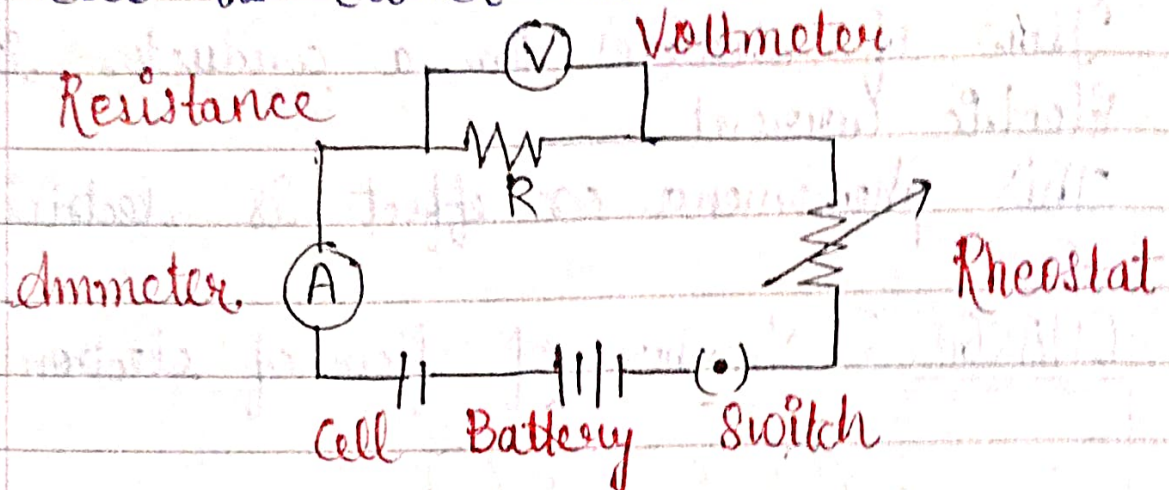
n = no. of e^-

e = charge of electron
($1.6 \times 10^{-19} \text{ C}$)

$$1 \text{ C} = \underline{\hspace{2cm}} e^-$$

CIRCUIT (CKT)

Closed loop of conducting wire includes voltmeter, ammeter, switch, Rheostat and cell is called electric circuit.



CURRENT: Rate of flow of charge

SI UNIT, AMPERE A

Denoted by 'I'

$$I \times t = Q$$

$$I = \frac{Q}{t}$$

Q = charge (total)

t = time

I = Current

Direction of current $\rightarrow$ +ve terminal to -ve

NOTE

Direction of current is opposite to flow of electrons,

AMMETER :

- Used to measure electric current
- Connected in series
- Very small resistance

VOLTMETER :

- Used to measure potential difference
- Connected in parallel
- High resistance

GALVANOMETER :

Detect the presence of electric current

Potential Difference :

Work done to move a unit charge from one to another point

SI UNIT **VOLT V**

Denoted by 'V'

$$V = \frac{W}{Q}$$

$$V = \frac{W}{ne}$$

W = Energy
Q = Charge

n = no. of electron

e = charge on 1 electron

V = Potential Difference

Source of potential difference:

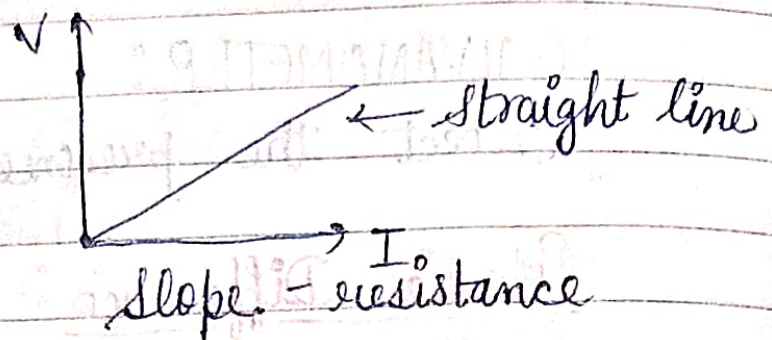
cell, battery, generator, powerhouse etc.

OHM'S LAW

The potential difference across two points on a conductor is directly proportional to the current passing through the circuit provided the temperature remains constant:

$$V \propto I$$

$$V = IR$$



V = Potential Difference

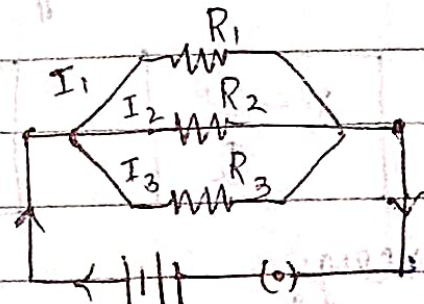
I = Current

R = Resistance

COMBINATION OF RESISTANCE

PARALLEL COMBINATION

- * Potential Difference remains same.
- * Current gets divided.



According to Ohm's Law

$$V = IR$$

$$I = \frac{V}{R}$$

$$I = I_1 + I_2 + I_3$$

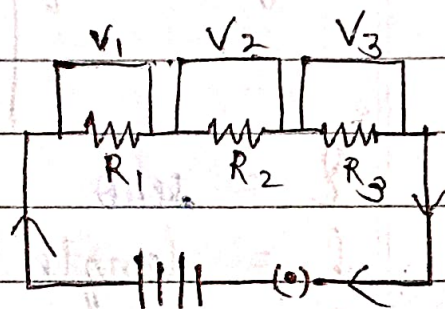
$$\frac{V}{R} = \frac{V}{R_1} + \frac{V}{R_2} + \frac{V}{R_3}$$

$$V \left[\frac{1}{R} \right] = V \left[\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \right]$$

$$\boxed{\frac{1}{R} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}}$$

SERIES COMBINATION

- * Current remains same
- * Potential difference change or divided.



According to Ohm's Law

$$V = IR$$

$$V = V_1 + V_2 + V_3$$

$$IR = IR_1 + IR_2 + IR_3$$

$$IR = I(R_1 + R_2 + R_3)$$

$$\boxed{R = R_1 + R_2 + R_3}$$

Resistance:

Property of conductor to resist the flow of charges.

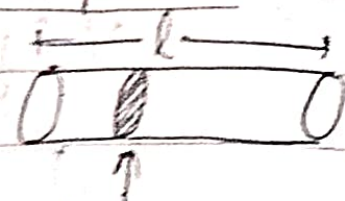
SI UNIT 'Ohm Ω '

Denoted by 'R'

Factors on which resistance depends:

$$R \propto l \quad \text{--- (I)}$$

$$R \propto \frac{1}{A} \quad \text{--- (II)}$$



Area of cross-section

From equation (I) & (II)

$$R = \frac{\rho l}{A}$$

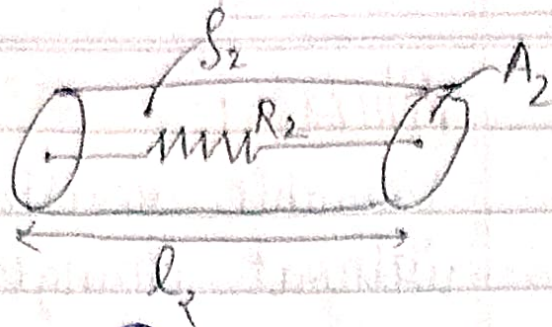
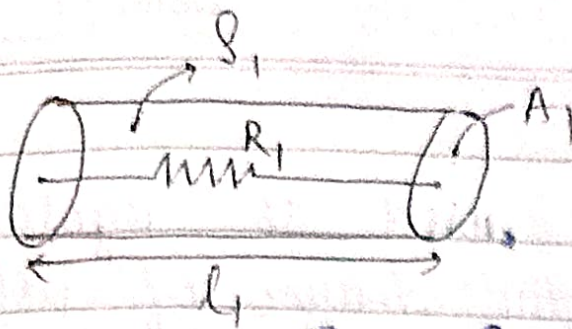
ρ = resistivity

l = length of conductor

A = area of cross-section

Depends upon:

- Length of conductor
- Nature of material
- Cross-sectional area
- On Temperature



$$R_1 = \frac{\rho_1 l_1}{A_1} \quad \text{--- (I)}$$

$$R_2 = \frac{\rho_2 l_2}{A_2} \quad \text{--- (II)}$$

On dividing equation (I) & (II)

$$\frac{R_1}{R_2} = \frac{\left(\frac{\rho_1 l_1}{A_1} \right)}{\left(\frac{\rho_2 l_2}{A_2} \right)} = \frac{\rho_1 l_1}{A_1} \times \frac{A_2}{\rho_2 l_2}$$

$$\boxed{\frac{R_1}{R_2} = \frac{\rho_1 l_1 A_2}{\rho_2 l_2 A_1}}$$

→ If material is same
 $\rho_1 = \rho_2$

$$\frac{R_1}{R_2} = \frac{l_1 A_2}{l_2 A_1}$$

$$\boxed{\frac{R_1}{R_2} = \frac{\rho_1 l_1 A_2}{\rho_2 l_2 A_1}}$$

→ If material and thickness (A. S) is same
 $\rho_1 = \rho_2, A_1 = A_2$

$$\boxed{\frac{R_1}{R_2} = \frac{l_1}{l_2}}$$

→ If resistance is same

$$\boxed{\rho_2 l_2 A_1 = \rho_1 l_1 A_2}$$

Rheostat:

Variable resistance used to regulate current without changing the source of voltage.

Resistivity: (TEMPERATURE)

Resistance offered by material of a conductor.
SI UNIT ' $\Omega \cdot m$ ' Ohm metre.

Denoted by ' ρ ' rho

- Resistivity doesn't change with change in 'l' and 'A-S', it changes in temperature.
- Resistivity of metals & alloys 10^{-8} to $10^{-6} \Omega \cdot m$.
- Resistivity of insulators 10^{12} to $10^{17} \Omega \cdot m$.
- Alloy do not oxidize (burn) at $\uparrow$ temperature, they used in electrical heating devices.
Eg :- NICHROME for heating rod, gezer etc.
- Cu & Al used for electrical transmission, they have low resistivity.

JOULE'S HEATING LAW

Heat produced in resistor :

- directly proportional to square of current.
- directly proportional to resistance.
- directly proportional to time.

$$H = I^2 R t$$

$$E = P \times T$$

H = Heat

I = Current

R = Resistance

t = Time

E = Energy

P = Power

T = Time

- ✓ Heating effect electric heater, bulb, fuse, etc.
- X Heating effect computer, Refrigerator, etc.

Filament of electric bulb is made of TUNGSTEN

Doesn't oxidize at high temperature
High melting point (3380°C).

ELECTRIC FUSE :

Safety device protects electrical appliances in case of short circuit or overloading.

→ Made of pure tin or alloy of Cu or tin.

→ Always with series connection

→ Low melting point.

ELECTRIC POWER :

Rate of doing of electric work.

$$P = \frac{E}{T} \quad P = \frac{W}{T} \quad P = \frac{QV}{T} \quad P = IV$$

P = Power

E = Energy

T = Time

W =

Q = Charge

V = Voltage (P.D)

I = Current

SI UNIT OF POWER 'WATT' W

$$1 \text{ Watt} = 1 \text{ volt} \times 1 \text{ Ampere}$$

$$1 \text{ KW} = 1000 \text{ W}$$

Commercial unit of electric energy = kWh

$$1 \text{ kWh} = 3.6 \times 10^6 \text{ J}$$

1 kWh = 1 unit of electric energy

1 AMPERE $I = 1Q/1t$

1 coulomb of charge flows in 1 second

1 VOLT $V = 1W/1Q$

1 joule of work is done to carry 1 coulomb charge.

1 OHM $\Omega = 1V/1A$

1 V of potential difference and current is 1 Ampere.

Date: / /

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For a given material, the resistance is directly proportional to the length of the wire and inversely proportional to the cross-sectional area of the wire.

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where R is the resistance, ρ is the resistivity, L is the length of the wire and A is the cross-sectional area of the wire.

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